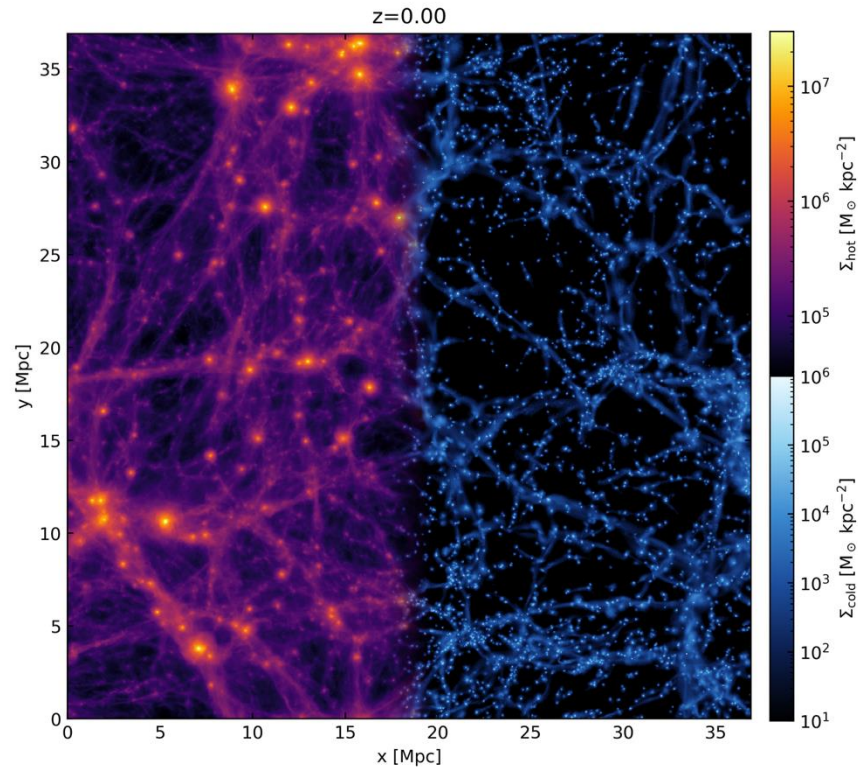


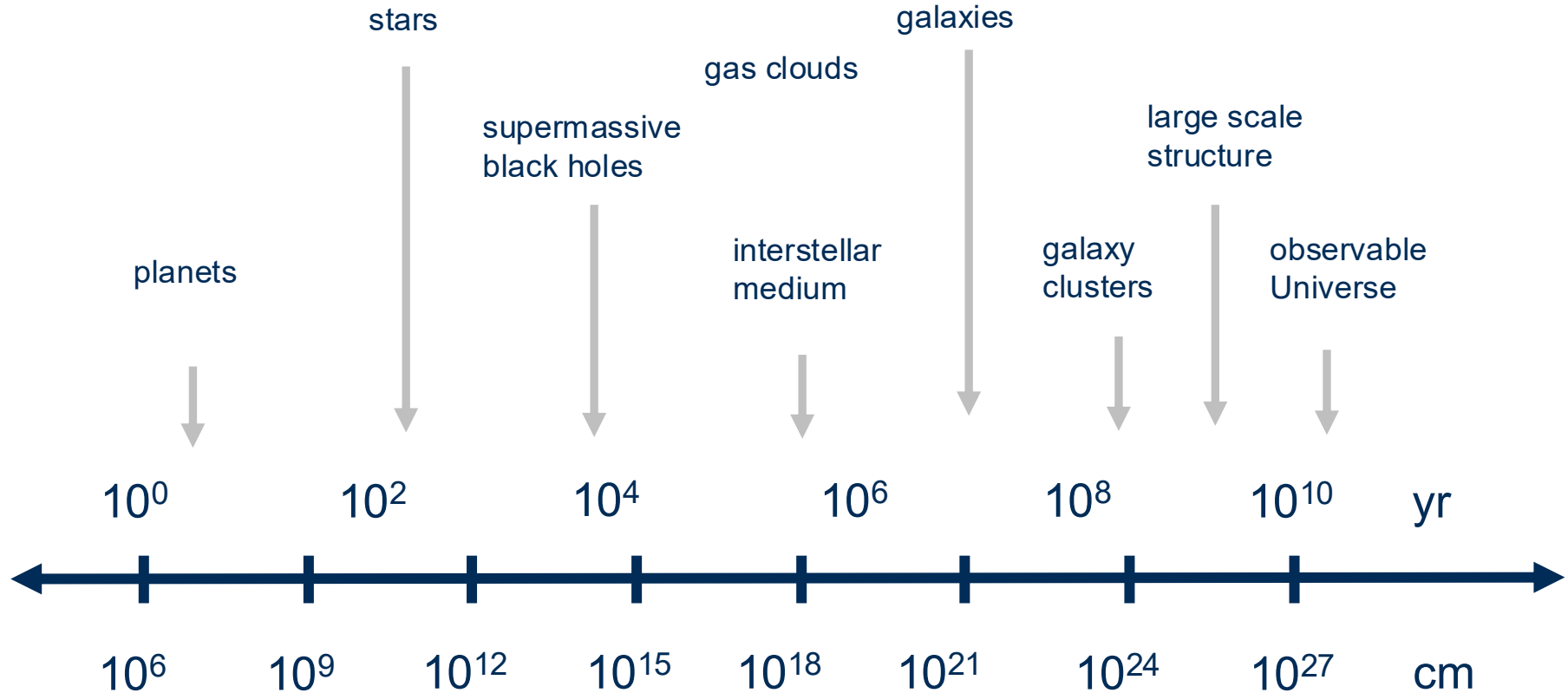
Overcoming the scale-problem in galaxy formation simulations using multi-fluid hydrodynamics

Rainer Weinberger / AG 2026 / 9. September 2026

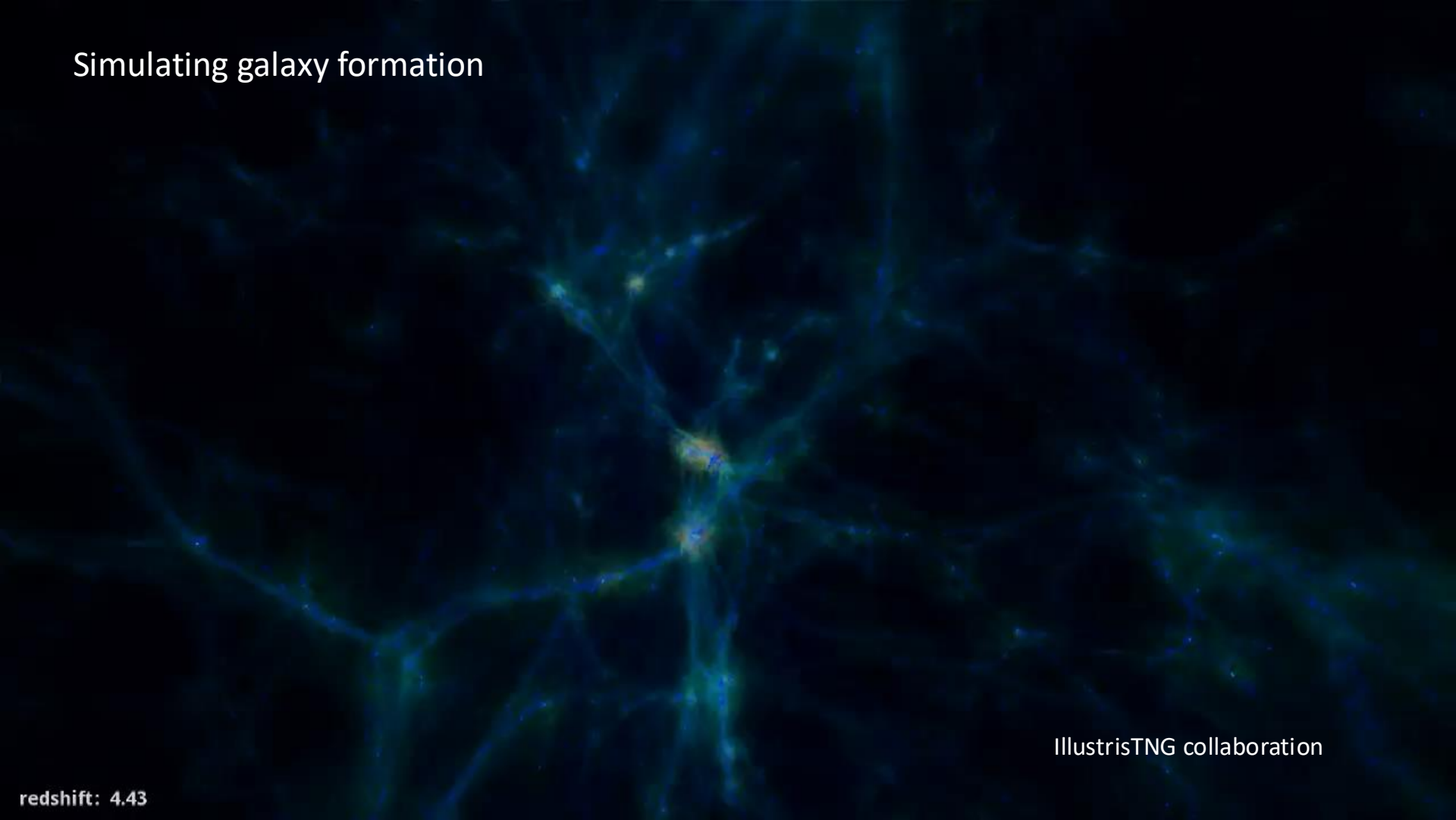


RW et al. (in prep)

The multi-scale problem



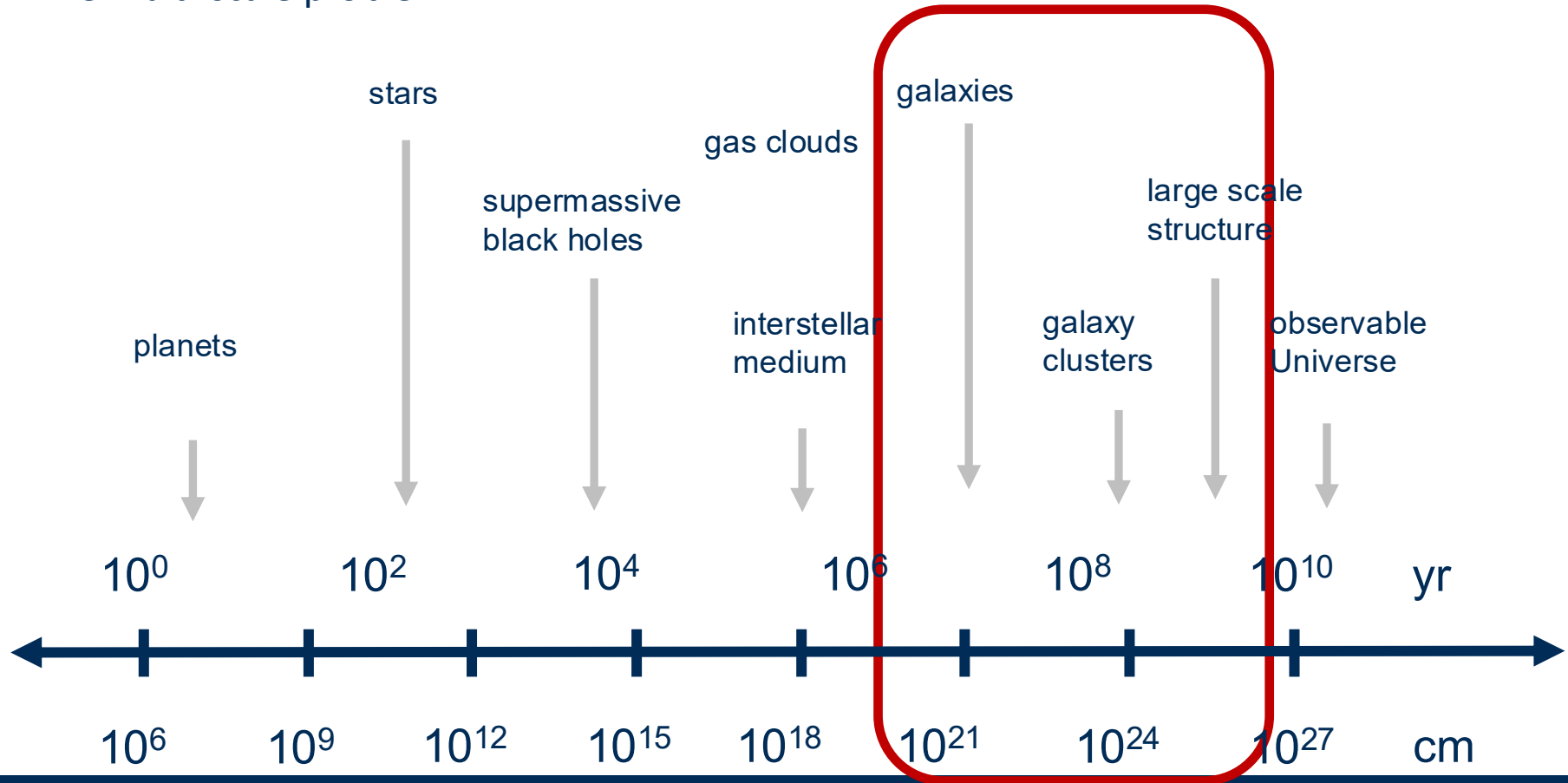
Simulating galaxy formation



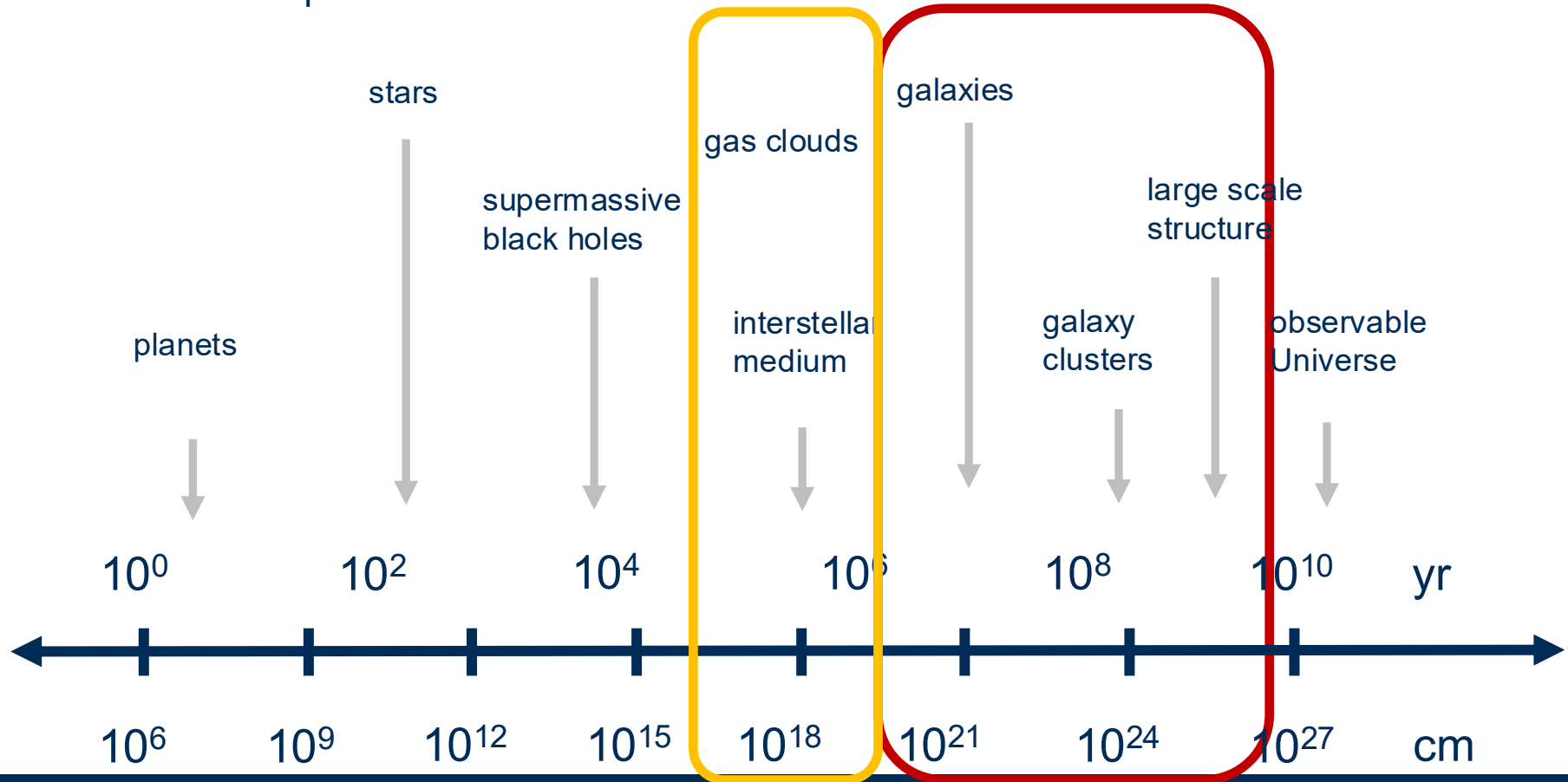
IllustrisTNG collaboration

redshift: 4.43

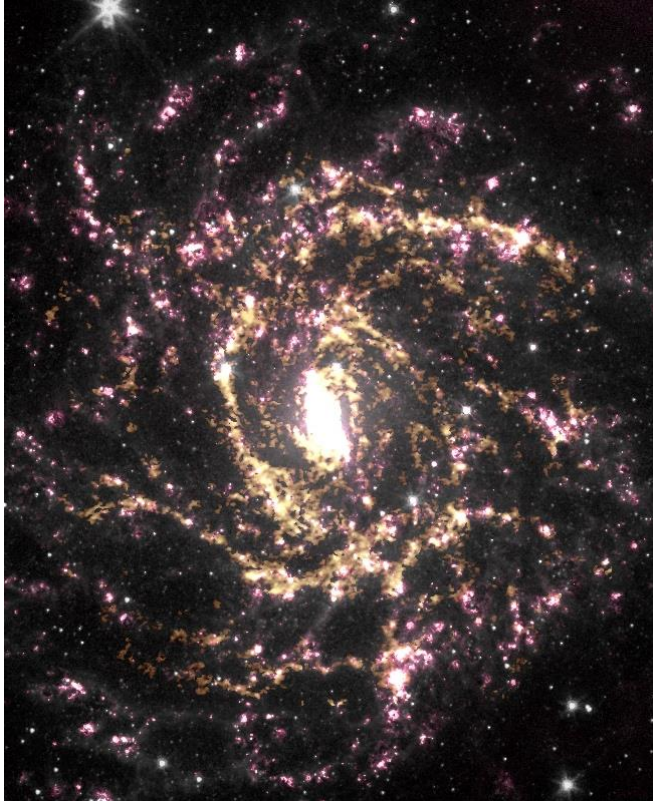
The multi-scale problem



The multi-scale problem



Multi-phase media in observations– few kpc scales



IC 342 – multi-phase interstellar medium

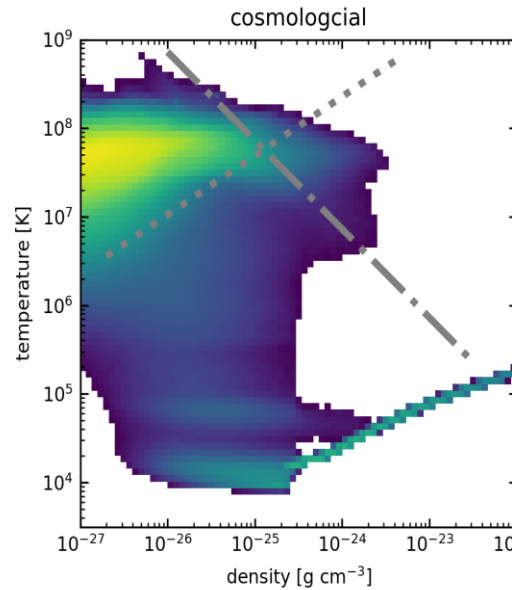
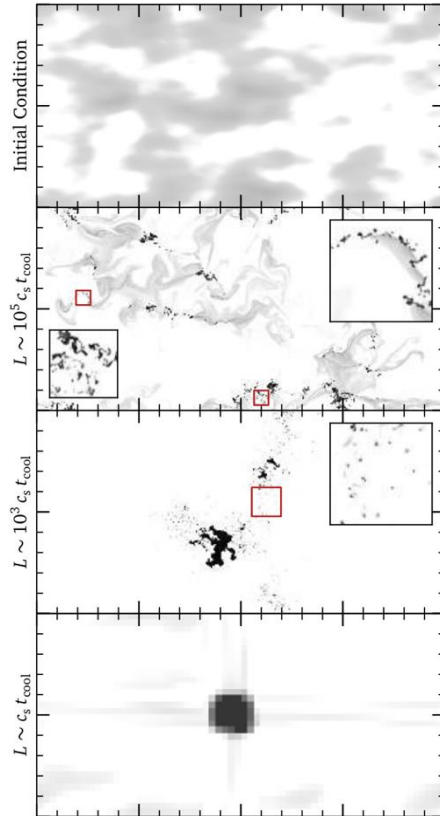
Spitzer IRAC 4.5 μ m (grey) - NASA/JPL-Caltech/J. Turner;
NOEMA CO(1-0) (orange) - IRAM/A. Schruba & J. Pety;
Mayall H α (pink) - NOAO/K. Herrmann



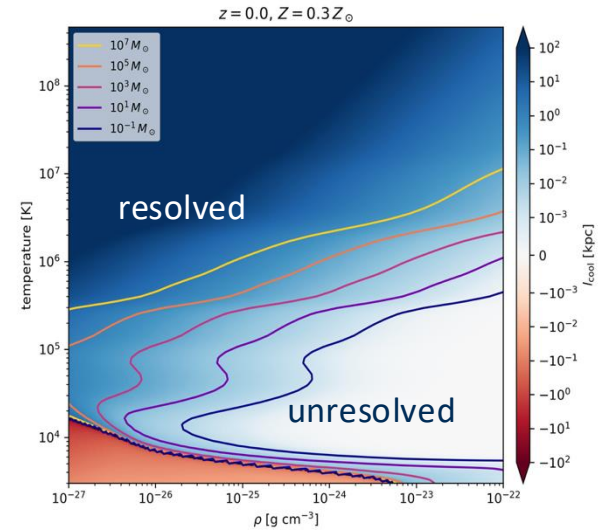
Multi-phase galactic outflow

Image: NASA/JPL-
Caltech/STScI/CXC/UofA/ESA/
AURA/JHU

The smallest scales – shattering and turbulent mixing layers



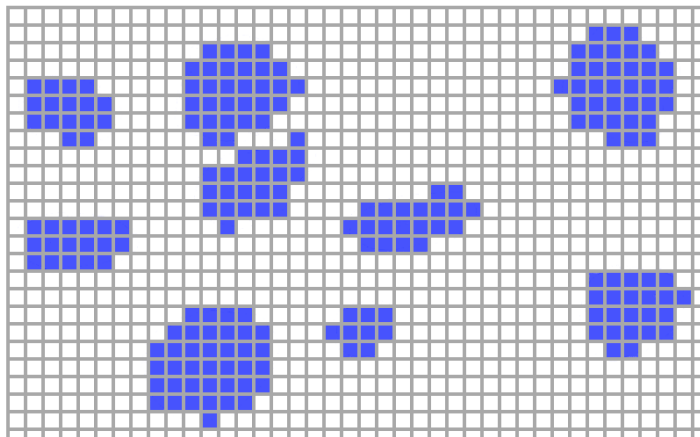
McCourt et al. (2016)



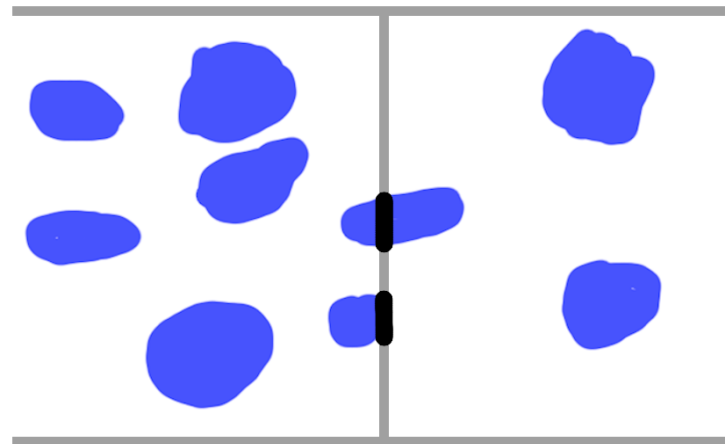
RW et al. (in prep.)

Multi-fluid hydrodynamics

single fluid discretization



2-fluid discretization



Multi-fluid hydrodynamics

fluid 1

$$\partial_t (\alpha_1 \rho_1) + \nabla \cdot (\alpha_1 \rho_1 \mathbf{v}_1) = \dot{m} \quad (2)$$

$$\partial_t (\alpha_1 \rho_1 \mathbf{v}_1) + \nabla \cdot (\alpha_1 \rho_1 \mathbf{v}_1 \mathbf{v}_1^T + \alpha_1 p_1 \mathbf{I}) = p_i \mathbf{I} \nabla \alpha_1 + \dot{m} \mathbf{v}_i + \mathbf{F}_d \quad (3)$$

$$\partial_t (\alpha_1 E_1) + \nabla \cdot (\alpha_1 \mathbf{v}_1 (E_1 + p_1)) = p_i \mathbf{v}_i \nabla \alpha_1 + \dot{m} E_i + \mathbf{F}_d \cdot \mathbf{v}_i + Q \quad (4)$$

fluid 2

$$\partial_t (\alpha_2 \rho_2) + \nabla \cdot (\alpha_2 \rho_2 \mathbf{v}_2) = -\dot{m} \quad (5)$$

$$\partial_t (\alpha_2 \rho_2 \mathbf{v}_2) + \nabla \cdot (\alpha_2 \rho_2 \mathbf{v}_2 \mathbf{v}_2^T + \alpha_2 p_2 \mathbf{I}) = p_i \mathbf{I} \nabla \alpha_2 - \dot{m} \mathbf{v}_i - \mathbf{F}_d \quad (6)$$

$$\partial_t (\alpha_2 E_2) + \nabla \cdot (\alpha_2 \mathbf{v}_2 (E_2 + p_2)) = p_i \mathbf{v}_i \nabla \alpha_2 - \dot{m} E_i - \mathbf{F}_d \cdot \mathbf{v}_i - Q \quad (7)$$

$$\partial_t \alpha_1 + \mathbf{v}_i \nabla \cdot \alpha_1 = \dot{\alpha} \quad (8)$$

$$\alpha_1 + \alpha_2 = 1. \quad (9)$$

volume filling fraction

RW & Hernquist (2023)

Stratified flow model

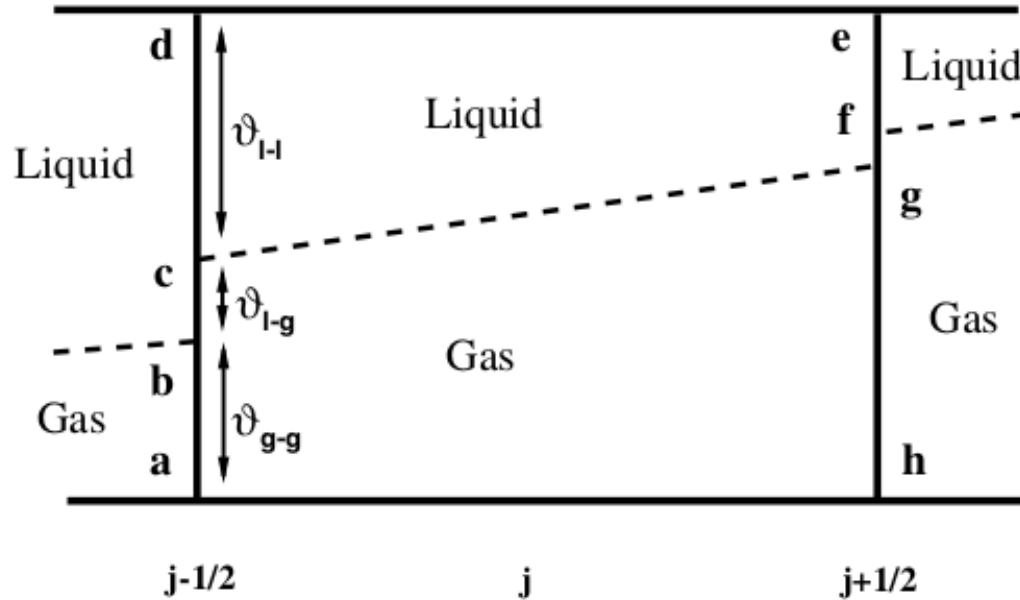
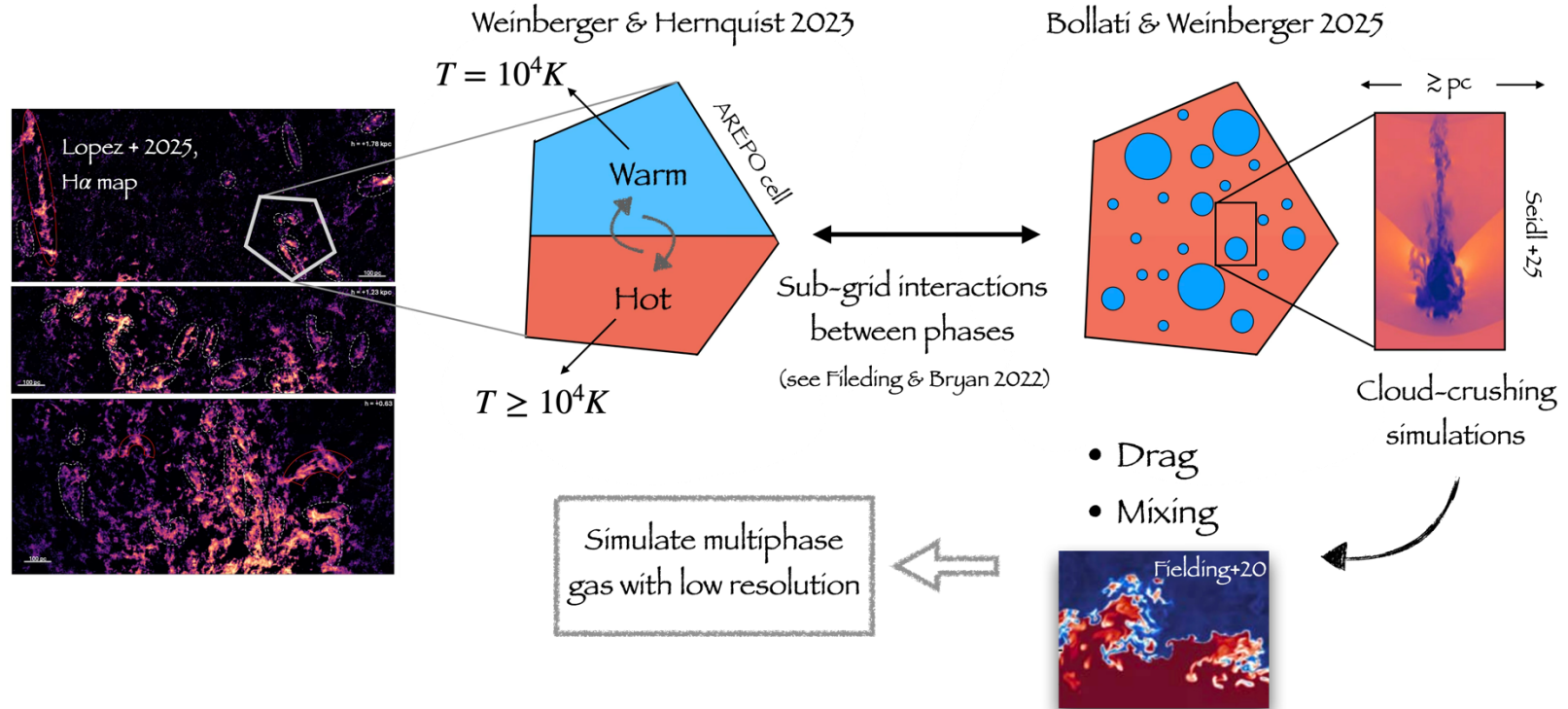


Fig. 3. Illustration of the one dimensional stratified flow.

Multi-fluid galactic outflow model



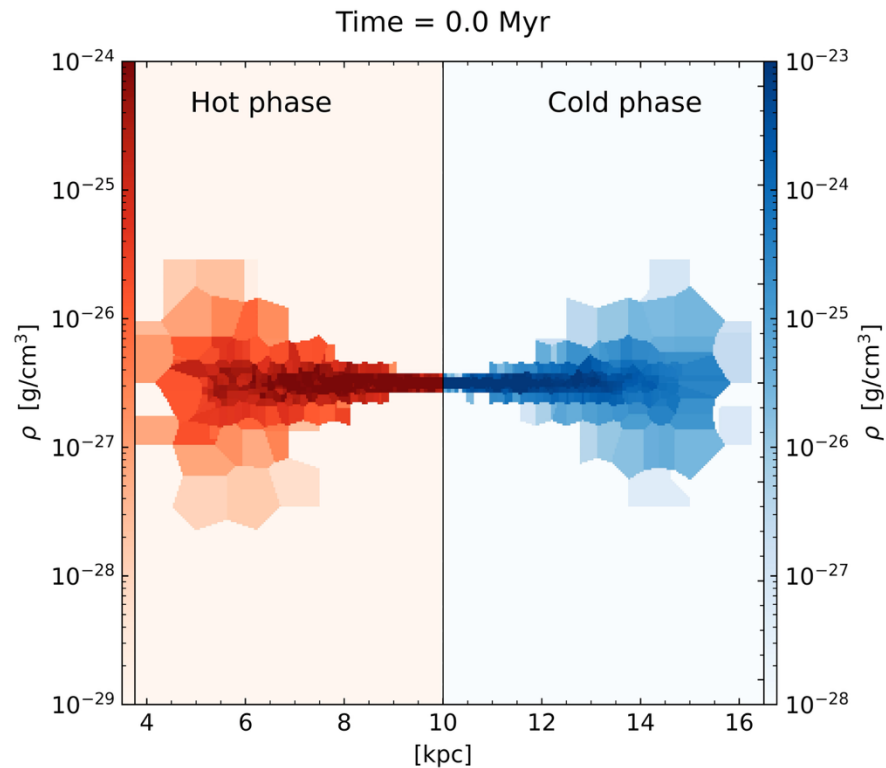
slide: F. Bollati

M82 like outflow



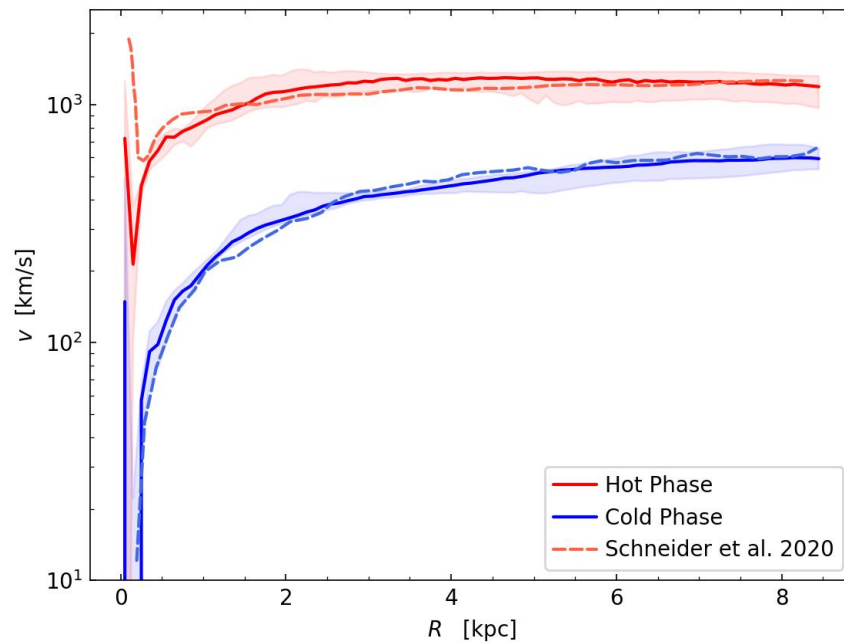
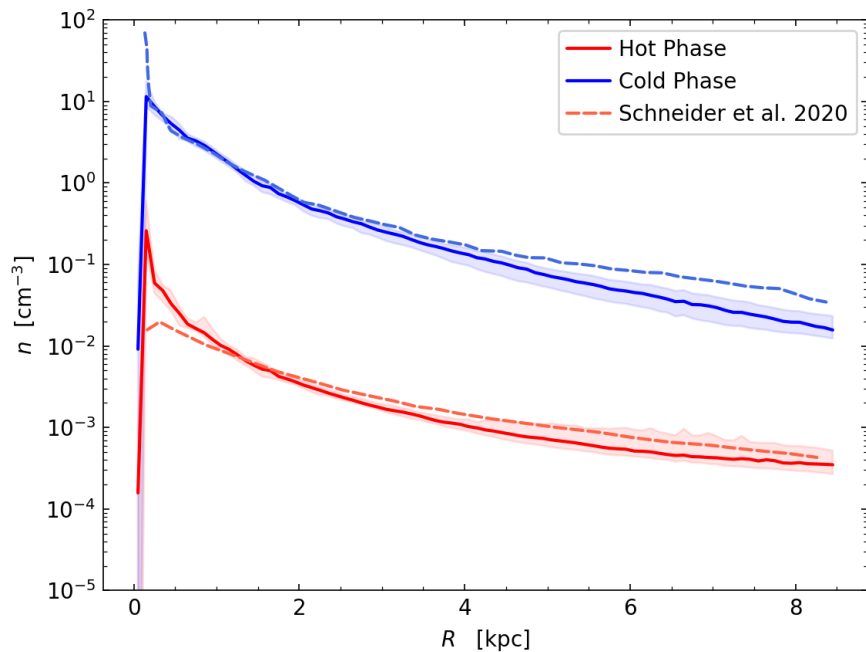
Multi-phase galactic outflow

Image: NASA/JPL-
Caltech/STScI/CXC/UofA/ESA/
AURA/JHU



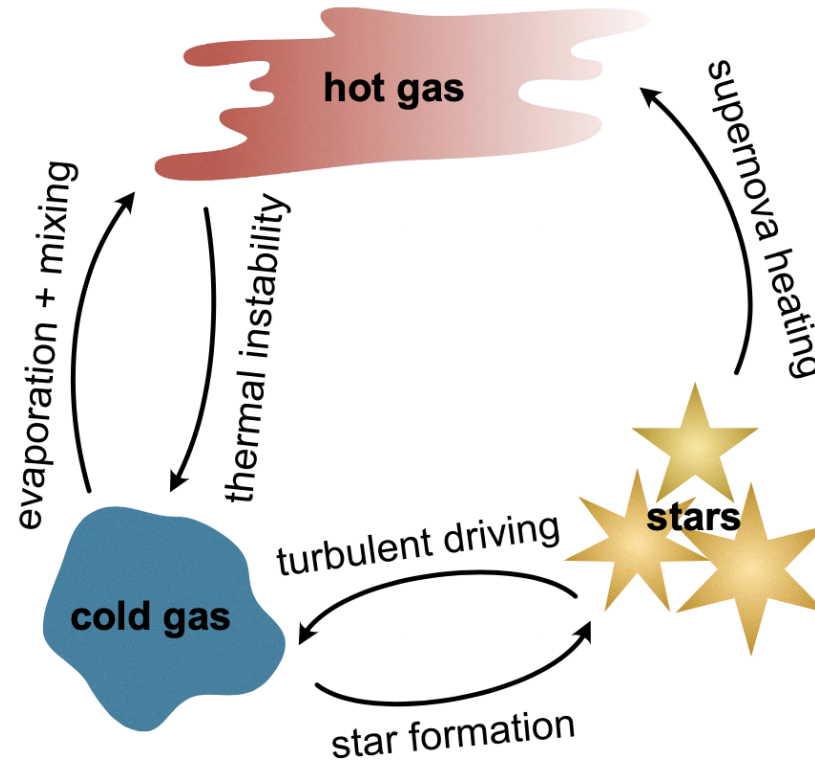
Bollati & RW (2026)

Überschrift lorem ipsum



Bollati & RW (2026)

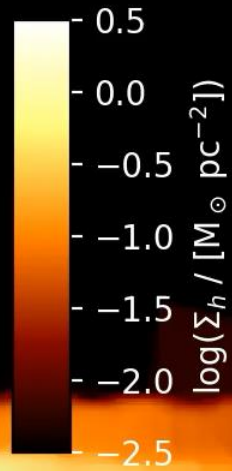
Driving outflows – the interstellar medium



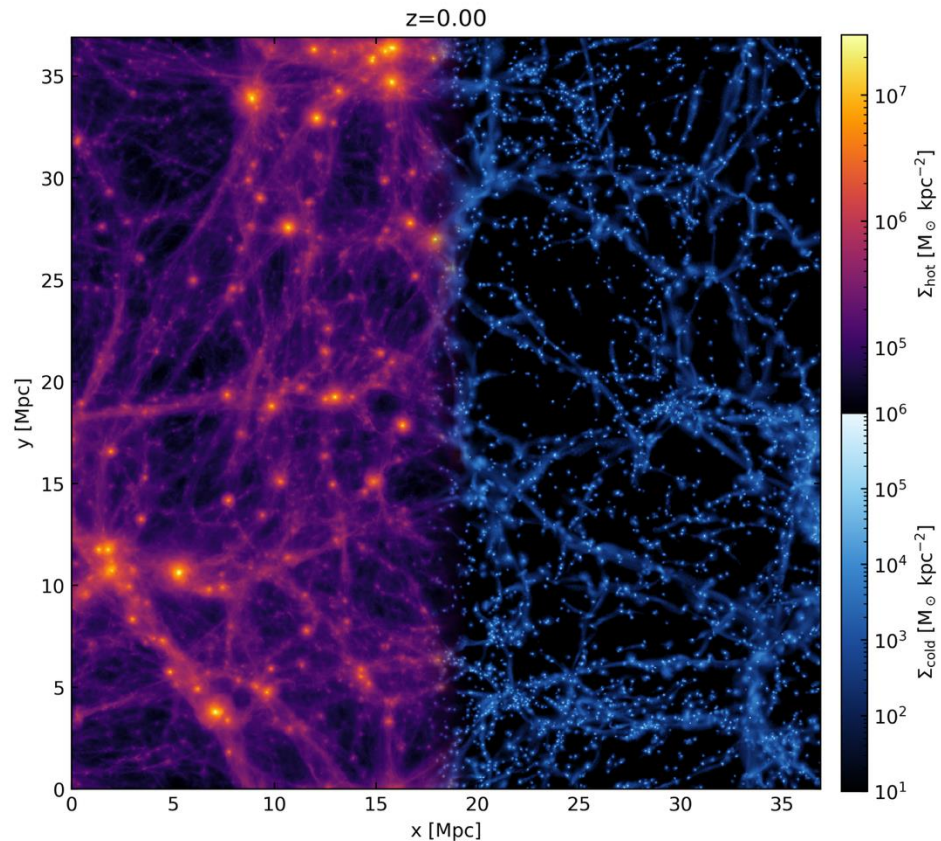
Stachlys+ (in prep.)

4 Myr

10 kpc

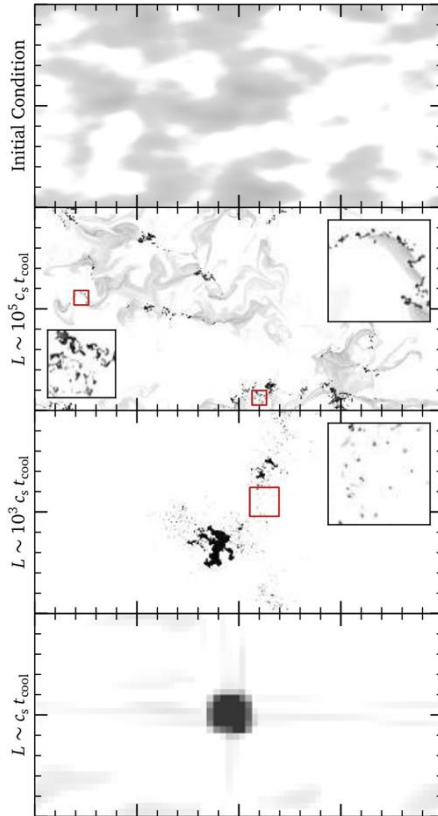


Back to cosmological simulations

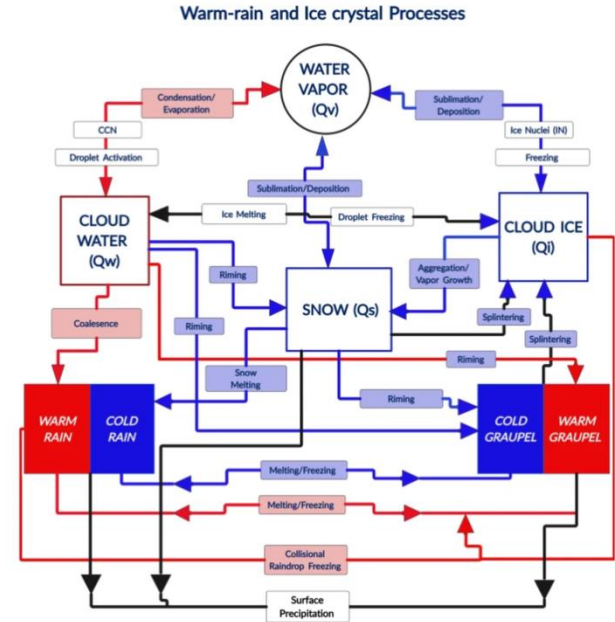


RW et al. (in prep)

Open questions – precipitation / thermal instability



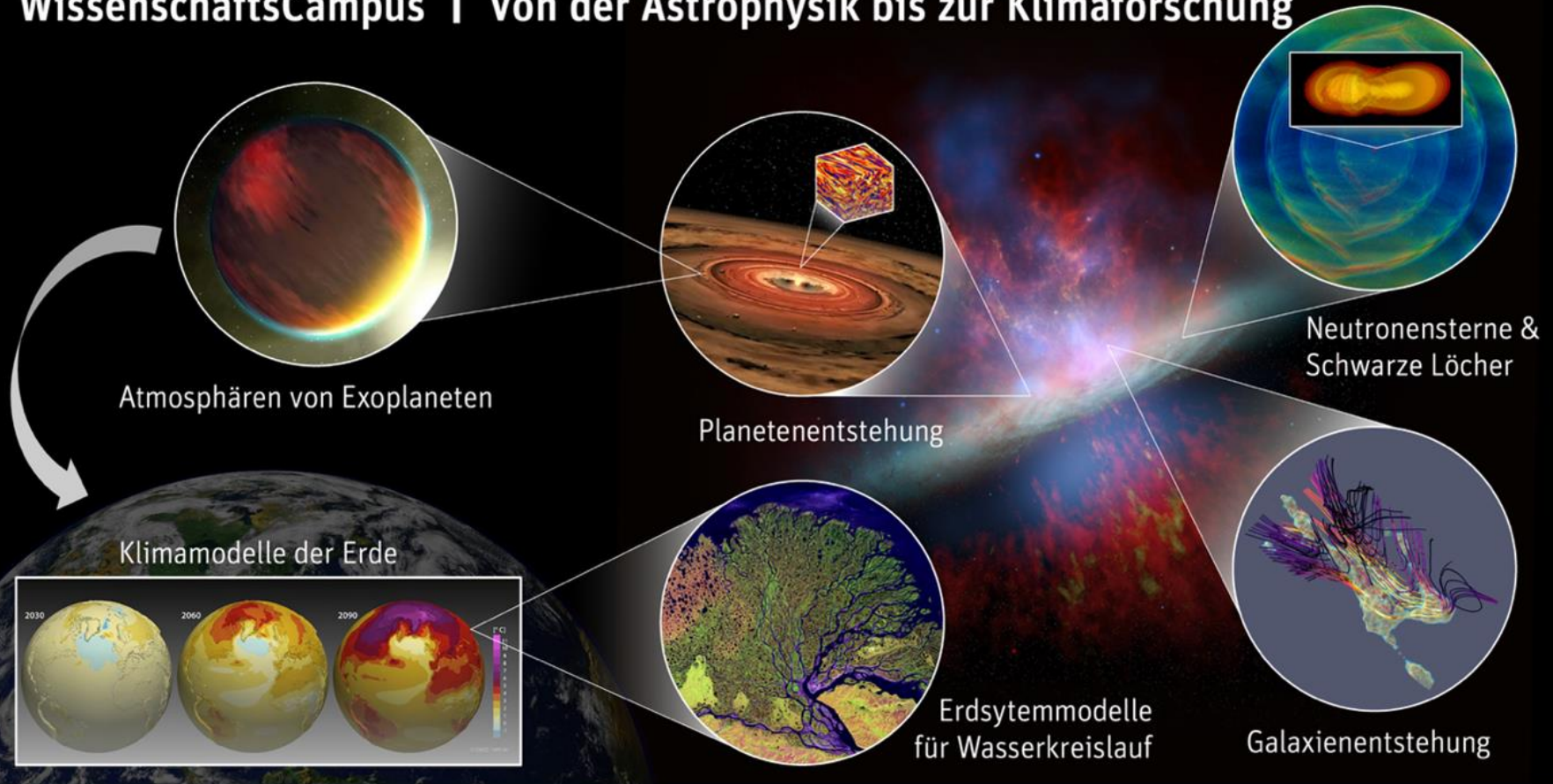
McCourt et al. (2016)



Gupta et al. (2023)

Communications Earth&Environment 4, 226

Leibniz WissenschaftsCampus | Multiskalen Herausforderungen: Von der Astrophysik bis zur Klimaforschung



Summary

- Galaxy formation is a multi-scale problem
 - Computational cutoff around the scale of gas clouds
 - Drastic impact on galactic gas cycle
- Represent multi-phase gas as multi-fluid system
 - Spatially resolved, hot phase
 - Spatially unresolved cool gas clouds with volume filling fraction
- Get multi-component outflows cheaply
- In ISM, need to model spatially unresolved turbulence via SGS turbulence model
- Full cosmological context in progress – stay tuned